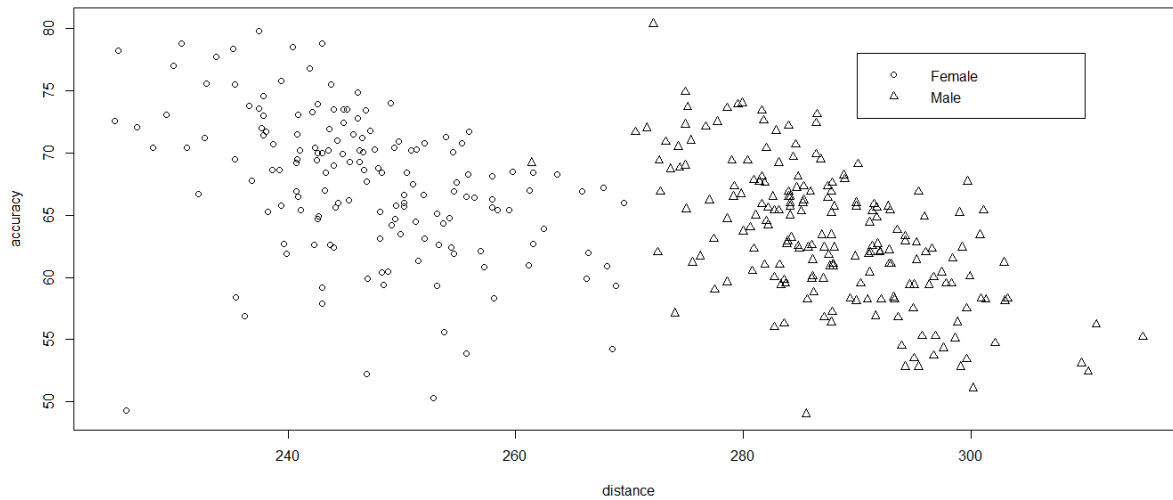
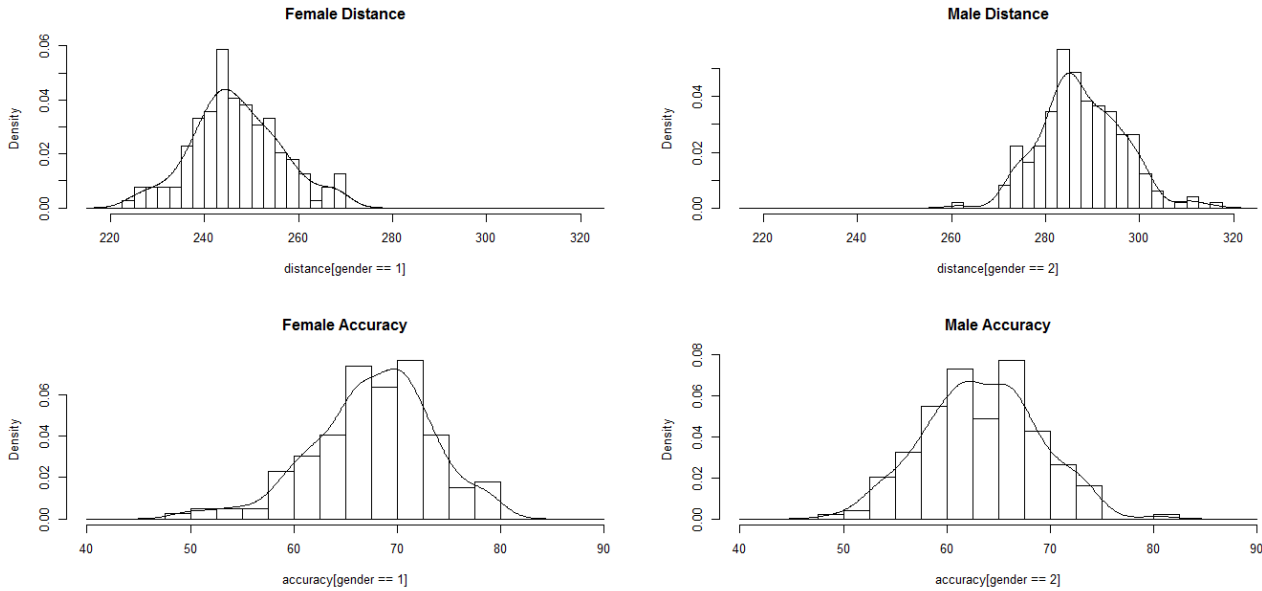


LPGA/PGA Driving Distance and Accuracy - Discriminant Analysis

Data: Groups: Female ($N_F = 157$, $p_F = 0.4435$) and Male ($N_M = 197$, $p_M = 0.5565$) professional golfers

Variables: Driving Distance (Yards) and Accuracy (%)

Treating data as a MVN Population with common (pooled) Variance-Covariance matrix Σ .



	mu.F	mu.M	Sigma.F	Sigma.M	Sigma.FM
[1,]	246.801	287.611	90.132	-23.118	73.179
[2,]	67.591	63.365	-23.118	33.278	-28.385

$$f_F(\mathbf{x}) = (2\pi)^{-2/2} |\Sigma|^{-1/2} \exp\left\{-\frac{1}{2}[(\mathbf{x}-\boldsymbol{\mu}_F)'\Sigma^{-1}(\mathbf{x}-\boldsymbol{\mu}_F)]\right\} \quad f_M(\mathbf{x}) = (2\pi)^{-2/2} |\Sigma|^{-1/2} \exp\left\{-\frac{1}{2}[(\mathbf{x}-\boldsymbol{\mu}_M)'\Sigma^{-1}(\mathbf{x}-\boldsymbol{\mu}_M)]\right\}$$

Assuming equal costs of Misclassification: $C(F|M) = C(M|F)$, and prior probabilities: $p_F = .4435$, $p_M = .5565$, the following classification rule is used:

Classify as Female if: $\frac{f_F(\mathbf{x})}{f_M(\mathbf{x})} \geq \left(\frac{C(F|M)}{C(M|F)} \right) \left(\frac{p_M}{p_F} \right) = 1.2548$ Male otherwise

```
> for (i in 1:n.T) {
+ fF.X[i] <- norm.c*
+   exp(-0.5*(t(X[,i]-mu.F) %**% Sigma.FM.inv %**% (X[,i]-mu.F)))
+ fM.X[i] <- norm.c*
+   exp(-0.5*(t(X[,i]-mu.M) %**% Sigma.FM.inv %**% (X[,i]-mu.M)))
+ }
> classify <- ifelse((fF.X/fM.X) >= (CF.M/CM.F)*(p.M/p.F),1,2)
>
> table(gender,classify)
      classify
gender  1  2
      1 155  2
      2   1 196
```

2 Females were misclassified and 1 male.